KOLHAN UNIVERSITY, CHAIBASA JHARKHAND



Syllabus for FYUGP (Mathematics Major & Minor)

As per

Revised Curriculum and Credit Frame work of NEP- 2020

To be effective from academic session 2022-26

University Department of Mathematics Kolhan University, Chaibasa West Singhbhum, Jharkhand-833202

UNIVERSITY DEPARTMENT OF MATHEMATICS KOLHAN UNIVERSITY, CHAIBASA

Four-Year under Graduate Programme (FYUGP)

As per Provisions of NEP-2020 to be implemented from Academic Year 2022-23

COMPOSITION OF BOARD OF STUDIES

Buch

1. Dr. Bijay Kumar Sinha Head, University Department of Mathematics, Kolhan University Chaibasa

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Dr.Bijay Kumar Sinha (Chairman & Head) University Department of Mathematics, Kolhan University, Chaibasa.

	Paper	Code	Course Title	Credit
Semester		MJ-1	Calculus	4
<u> </u>	Major-01	MJ-2	Matrices	4
Ш	Major-02 Major-03	MJ-3	Analytical Geometry & Trigonometry	4
	Major-04	MJ-4	Real Analysis	4
	Major-05	MJ-5	Vector	4
111	Major-06	MJ-6	Real Analysis & Set theory	4
IV	Major-07	MJ-7	Ordinary Differential Equation	4
	Major-08	MJ-8	Group Theory	4
	Major-09	MJ-9	Mechanics	4
V	Major-10	MJ-10	Theory of Equation & Higher Arithmetic	4
	Major-11	MJ-11	Complex Analysis	4
	Major-12	MJ-12	Dynamics & Statics	4
	Major-13	MJ-13	LPP & Statistics	4
VI	Major-14	MJ-14	Analysis II & Ring	4
vi	Major-15	MJ-15	Numerical Analysis & Programming in C	4
	Major-16	MJ-16	Fluid Mechanics & Special Function	4
VII	Major-17	MJ-17	Metric space & Discrete Mathematics	4
	Major-18	MJ-18	Integral Transform	4
	Major-19	MJ-19	Partial Differentiation	4
	Major-20	MJ-20	Linear Algebra & Linear Difference equation	4
	Advance Major-01	AMJ-1	Topology	4
VIII	Advance Major-02	AMJ-2	Complex Analysis II	4
	Advance Major-02		Real Analysis & Measure Theory	4

Index

rogram: Ce Class: UG	ertificate	Year: First	Semester: I	
	thematics			
0.1	NII 1	Course Title: Calculu	us	
		utcomes: This course v	will enable the students to:	octions
a) Appl Also	y the rules of , able to app	differentiation, includin Ily different mean value	e theorems, such as Rolle's theorem and Lag	IS.
b) App app	roximate fur roximations	nctions using Maclaurin using Taylor's theorem v	n's and Taylor's series, analyze the cristian with Lagrange, Cauchy, and Roche-Schlomilc	h forms
sign	ificance and	identify the different	curve at a given point, and understand its ge types of asymptotes of general algebraic es parallel to axes, and slant asymptotes.	
d) Tra cale	ce Cartesian, culus technic	polar, and parametric on polar, and parametric of polar to analyze the beh	navior of curves and solve real-world proble	
		reduction formulae 0	parameterize curves, and compute arc length rea of surfaces of revolution.	, area or
Credit: 4 (Theory)	Compulsory		
Full Mark		Time: 3 Hours		Hours
Unit		C	Content	
I	Geometrica Chain rule Lagrange's Geometrica	al interpretation of dif of differentiation; [mean value theore al interpretation of	ntiability of a real valued function, fferentiability, Rules of differentiation, Darboux's theorem, Rolle's theorem, em, Cauchy's mean value theorem, mean value theorems, Successive	15 h
II	Expansion expansion form with	of a function in an in Lagrange, Cauchy and	aclaurin's and Taylor's theorem in finite offinite series, Taylor's theorem in finite Roche–Schlomilch forms of remainder,	12 h
III	Curvatur algebraic	e and Asymptotes: curves, Parallel asyn Concavity and conv	Curvature; Asymptotes of general mptotes, Asymptotes parallel to axes; vexity, Points of inflection, Tangents at and nature of double points.	13 h
IV	Curve T	racing: Tracing of Ca	artesian, polar and parametric curves,	10 1
v	Integral reduction ∫ sin ⁿ xc paramete	Calculus: Reduction f formulae of the ty $\cos^m x$ dx and $\int cc$ erizing a curve, arc lenged curve volume and	formulae, derivations and illustrations of ype $\int \sin^n x dx$, $\int \cos^n x dx$, $\int \tan^n x dx$, $\cos^m x.cosnx dx$, parametric equations, gth, arc length of parametric curves, Area area of surface of revolution.	10 1
	s	essional Internal Asses A – Internal written B – Over All Perform	ssment (SIA) Full Marks – 25 Marks Examination – 20 Marks (1 Hr) mance including Regularity – 05 Marks	
	Recommen Dwivedi, Ca	Jaulue 1st Edition Pra	ngati Prakashan, Meerut, India (2019). avis (2016). Calculus (10th edition). Wiley	India

rogram.	Certificate	Year: First	Semester: II		
lass: UG	Continue				
ubject: N	Iathematics				
	1 3413	Course Title: Matrices			
Cours	e Learning (Dutcomes: This course will	lenable the students to.	dering	
a) Ur pr fu b) Ga oj c) G	nderstand and operty, division ndamental the ain a thoroug perations, inve ain a strong gen natrices, consis	apply fundamental conte on algorithm, congruence corem of arithmetic. h understanding of matri rrtibility, matrix rank, norm rasp of systems of linear ec stency (both necessary and	e relations, mathematical Induction, ar ces, including types of matrices, determ al forms, and the rank-nullity theorem quations, including their matrix form, aug d sufficient conditions), and methods for	ninants, mented	
	(Theory)	Compulsory			
Full Ma	rks: 75	Time: 3 Hours		Hours	
Unit		Con	tent Division	nouis	
I	algorithm, D integers, Pri Arithmetic,	nciples of Mathematical	erty (WOP) of positive integers, Division gorithm, Congruence relation between Induction, Fundamental Theorem of	15 h	
II	Matrices: Ma submatrix, b of a matrix, I	Matrices: Matrices and types of matrices, determinants, operations on matrices, submatrix, block Matrix, Invertible Matrices, Uniqueness of Inverse Matrix, Rank of a matrix, Normal form PAQ, Canonical or Echelon form, Rank-Nullity Theorem			
111	System of augmented	matrix, consistent and in	form of system of linear equations, neonsistent system of linear equations, nsistency of a system of linear equations, nd non-homogeneous linear equations.	15 h	
IV	Eigen value Eigen value	s and Eigen vectors of matres and Eigen vectors, A.M.	and G.M. of Eigen values, Theorems on al Polynomial, Cayley-Hamilton theorem.		
	S	essional Internal Assessm A – Internal written Ex B – Over All Performa	ent (SIA) Full Marks – 25 Marks camination – 20 Marks (1 Hr) nce including Regularity – 05 Marks		
1. Da 2. Va 3. Be e 4. Da	sishtha A. R., rnard Kolmar dition). Pears wid C. Lay, St	A (2007). Elementary Nur Vasishtha A. K. (2011). N A & David R. Hill (2003). H Son Education Pvt. Ltd. In even R. Lay & Judi J. McC	1011alu (2010). Enteur 118	ations (7 pplicatio	

Program: C	ertificate	Year: First	Sem	ester: II		
Class: UG						
Subject: M	athematics		1 C	rigonometry		
2 0-	In MATS	Course Title: Anal	he Geometry and 1	ngonometry		
a) Dev rec and b) Gai dir thr c) Ga ge d) De th	relop skills in tangular axes, d understandir n proficiency ection cosine ough a given o in the ability t nerating lines, evelop concept eorem, and its evelop proficie	reduction of general ng the polar equation s, straight lines, plan circle, cones, and cylin o analyze and classif reduce equations to r ts in trigonometry, incl	aquations to normal to of conics. It analytical geomet s, spheres, intersec- ders. onicoids, understance normal form, and clas unling the polar form of ormatic function explan	form, analysis of conic sy ry, including the conce cting spheres, spheres I their plane sections, def sify quadrics. of complex numbers, DeN	epts of passing cermine Aoivre's	
	(Theory)	Compulsory	4.1			
Full Mar		Time: 3 Hours			Hours	
Unit			Content	. C	moure	
1	Analytical geometry of two dimensions: Transformation of rectangular axes, General equation of second degree and its reduction to normal form, Systems of conies, Polar equation of a conic.					
11	Analytical ge Plane, Spher	eometry of three din re, Two Intersecting der.	nensions: Direction Spheres, Spheres T	cosines, Straight line, hrough a Given Circle	15 h	
111	Conicoid: C Generating	Conicoid: Central conicoids, paraboloids, plane sections of conicoids, Generating lines. Reduction of second-degree equations to normal form; classification of quadrics.				
IV	Trigonome De-Moivre expansions	try: Polar form of s Theorem, Appli trigonometric fun	calons of De-M ction, Hyperbolic	nth roots of unity, oivre's Theorem in function, Exponential	15	
	Se	ssional Internal Asses	sment (SIA) Full Ma Examination – 20 M mance including Reg	141 h5 (1 111)		
Books	Recommend	led:				
1. Lo 2. Sh 3. Be 4. Ch 5. Ch 6. Ti	ney, S. L., El anti Narayan II, R- J. T., E aki, M. C, A akraborty, J. tu Andreescu	ements of Coordinat , Analytical Geometr lementary Treatise o Textbook of Analyt G., and Ghosh, P. R , & Dorin Andrica (2	n Coordinate Geom ical Geometry, Calc	utta Publishers.	nd	
ed	ition). Birkha	autoor.		ariables and Applicatio		

 James Ward Brown and Ruel V. Churchill, Complex Variables and Applications, 8th Ed., McGraw — Hill International Edition. Mfg)

		Year: Second	Semester: III	
Program: D	iploma	y ear: Second		
Class: UG	thomation			
	athematics	Course Title: Real	Analysis	
Course Coo		TI '	will anable the students to:	
a) Unc fron	lerstand many \mathbb{R} to a subset	properties of the real left et of R.	time R and learn to define sequence in terms of a	
c) App con	r limit superi bly the ratio, f wergence of a orn some of	or, limit inferior, and the root, alternating series	and limit comparison tests for convergence and	absolute
Credit: 4 (Theory)	Compulsory		
Full Mark	s: 75	Time: 3 Hours		11
Unit	7431 - AV (2000)	(Content	Hours
I I	and infimum	Absolute value of a	real number; Bounds of a sets, Supremum et of \mathbb{R} , The completeness property of \mathbb{R} , n and types of intervals, Neighborhood of rfect sets in \mathbb{R}	15 h
11	Convergent theorems, M Monotone Limit super	Aonotone sequences convergence theoren ior and limit inferior Cauchy's first theo	a sequence, Bounded sequence, Limit , Weierstrass' theorem for sequences, m, Subsequences, Bolzano sequences, of a sequence of real numbers, Cauchy prem on limit, Cauchy's convergence of set of real number.	15 h
111	Infinite Ser Convergence Necessary Tests for co comparison	ries ce and divergence of condition for conver onvergence of positiv n test, D'Alembert's condensation Test.	f infinite series of positive real numbers, gence, Cauchy criterion for convergence; re term series; Basic comparison test, Limit ratio test, Raabe's test, Logarithmic test, De Morgan & Bertrand's test, Higher auchy's root test, Integral test;	20 h
IV	conditiona	l convergence. Prope	ng series, Leibniz test, Absolute and erties of absolutely convergent series.	10 h
Sessional	Internal As	sessment (SIA) Full M	Aarks - 25 Marks Examination - 20 Marks (1 Hr) nance including Regularity - 05 Marks	
1. Rea 2. Rea 3. Rea	al Analysis: al Analysis:	Dasgupta & Prasad Lalji Prasad	alik	

4

	Distance	Year: Second	Semester: III	
Program: I	Dipionia	Tour. Decond		
Class: UG				
Subject: M	Iathematics	Course Title: Vectors		
	ode: MJ-5	the course wil	Lenable the students to:	
a) Unc b) Unc fun	lerstand the con lerstand the con ctions, Grad, Cu	cepts of scalar & vector p cept of vector function of irl and Divergence.	roducts of three and four vectors. scalar variable t, Scalar point functions, ve double and triple integral formulations kes' theorems in other branches of mather	
Credit: 4	(Theory)	Compulsory		
Full Mar	ks: 75	Time: 3 Hours		Hours
Unit		Con	tent	Hours
I	system of vec force. Couple	tors, Lami's theorem. λ	Product of 3 & 4 vectors, Reciprocal $-\mu$ theorem, work done, Moment of	15 h
11	derivative an	d geometrical meaning	unction of scalar variable t, it's , Derivative of product of two and	15 h
ш	Grad, Dive function, gr	rgence & Curl: Scal ad, divergence and c	ar point function and vector point curl, their expansion formulae and	15 h
IV	Applications line integrals integral, Su	s of line integrals: Mass s, Conservative vector f irface integrals, Stoke	vergence theorem: Line integrals, and Work, Fundamental theorem for fields, Green's theorem, Area as a line s' theorem, The Gauss divergence	15 h
	l Internal Asse	B Over All Performance	s 25 Marks nination 20 Marks (1 Hr) e including Regularity 05 Marks	
1.	Advanced Eng	ed: vineering Mathematics (10 vsis: Lalji Prasad, Paran)th edition). Erwin Kreyszig, Wiley 10 unt	

	Dinloma	Year: Second	Semester: IV	
rogram: J lass: UG	Diploma	1 cur. Decome		
0	Mathematics ode: MJ-6	Course Title: Real Anal	ysis & Set theory	
	· Outcomo	. This course will enable the	e students to:	
1.3. 1.1	arctand the co	ncent of differentiation and	expansion of function with terms	
b) Und	erstand the de	finition and condition for Ri	emann Integrability.	
c) Und	erstand the de	neralized set operations an	d relation on sets.	
d) Und	erstand the ge	ileralized set operation		
Cradit: 4	(Theory)	Compulsory		
Full Mar		Time: 3 Hours		TI
		Conte	ent	Hours
Jnit	continuity 1	Continuity: Limit, Con properties of functions bounded variation.	tinuity, Discontinuities, uniform continuous in closed intervals,	15 h
			Talaria theorom Maclaurin's	
	Derivability,	Relationship with continu	uity, Taylor's theorem, Maclaurin's	15 h
п	sinx, cosx a	nd log (1+x) using suital	Power series expansion of (1+x) ⁿ , ble remainder after n terms.	15 11
111	condition, p	articular classes of bour	boux's theorem I & II. Integrability ded integerable function primitive, and Mean value theorem.	15 h
IV	Index famil	y of sets, Generalised se napping: Countable an d related fundamental th	t operations & De-Morgan Laws, set d Uncountable sets, Equivalence neorem on partition. Partial order &	15 t
Sessiona	l Internal Ass	essment (SIA) Full Marks A Internal written Exam B Over All Performance	25 Marks ination 20 Marks (1 Hr) including Regularity 05 Marks	
Books	Recommend			
1	1. 10000 1 100			
	2 Real An	alysis by K. K. Jha		

Program: Class: UC	Diploma G	Year: Second	Semester: IV		
Subject: I	Mathematics				
Course C	ode: MJ-7	Course Title: Ordinary	y Differential Equation		
a) b) c)	solve ordinary solve higher of particular inte	order differential equation u ogral. y differential equation with	using concept of complimentary function	ificance. &	
Credit: 4	(Theory)	Compulsory			
Full Mar		Time: 3 Hours			
		Content		Hours	
I	solvable for orthogonal t	rajectories.	y differential equations, Equation Clairaut's form, singular solution	15 h	
II	Homogeneo	Linear Differential Equation of higher order with constant coefficients.Homogeneous linear differential equation (Cauchy- Euler's Form)15			
III	first derivativation of	tive) solution by chang parameters.	uations: Normal forms (removal of ging independent variable and by	15 h	
IV	equation significance	Pdx+Qdy+Rdz=0 togo	r/Q = dz/R and Total differential ether with their geometrical	15 h	
Sessiona		essment (SIA) Full Marks A Internal written Exami B Over All Performance	. 25 Marks ination . 20 Marks (1 Hr) including Regularity . 05 Marks		
Books	Recommende	ed:			
	1. Differentia	al Equation by Lalji Prasa	ad		
	2. Advanced	differential equation by	M. D. Kaisingnania		
8		al equation by J. N. Shari			

D! 1		Year: Second	Semester: IV	
Program: Diplo	ma	Teal. Second		
Class: UG				
Subject: Mathe	matics	Course Title: Group Theor	rv	
Course Code: N	1J-8	Course Title. Group Theor	udents to:	
Course Learning C)utcomes:	This course will enable the st		
a) Understa	nd concep	ot of groups & their properties	- arouns	
b) Understa	nd the cor	ncept of subgroups and cyclic	groups.	
c) Understa	nd the cor	ncept of Factor group, centrali	Izer and normalizer of group	perties.
d) Understa	nd the co	ncept of Homomorphism in G	roup & Isomorphism and related pro	
C l't (The	()	Compulsory		
Credit: 4 (The		Time: 3 Hours		
Full Marks: 75		Content		Hours
Unit	ition ond	examples of groups inclu	iding dihedral, permutation and	15 h
I Defin	mion are	oups, Elementary properties	of groups.	15 11
I quate	mon gro	rups, Elementary Part	L' Properties of cyclic	
Subg	Subgroups and examples of subgroups, Cyclic groups, Properties of cyclic groups, Classification of subgroups of cyclic groups, Order of group,			
II grou	os. Class	ification of subgroups of a	cyclic groups, Order of group,	15 h
T	an an' a th	eorem		
		Normal subgroups	, Simple groups, Factor groups,	
		f - finite abalian aroun	s' l'entralizer, i vonnanzer, e entre	15 h
III of a	my strict	Cycle notation for permutat	ions, Properties of permutations,	15 11
III of a	group, c	I permutations, alternating g	roups,	
Ever			of homomorphisms, Group	1
Gro	up hom	nomorphisms, Properties		15 h
IV ison	norphism	s, Properties of isomorph	isms; Fundamental theorem of	
hor	omorphi	sm. Cavley's theorem and I	is applications.	
Sessional Inter	rnal Asses	ssment (SIA) Full Marks 25	Marks	
	A	A Internal written Examinat	luding Regularity . 05 Marks	
Books Reco	mmende	d:	eruddin	
1. Modern	Algebra:	Surjeet Singh Quazi Zamee A R Vasistha		
4. A First (Course in	Abstract Algebra: J. B. Fra	leigh	

Program: I	Bachelor's Degree	Year: Third	Semester: V		
Class: UG					
Subject: N	Aathematics	Course Title: Mec	hanics		
Course Co	ning Outcomes: This con		de etc to:		
a) Unc lear b) Unc rela c) Dea	derstand necessary cond in the principle of virtua derstand the concept of	I work for a system of friction and laws of fr of the rectilinear and tions of particles.	coplanar forces acting on a rigid body iction. Student will be able to solve p d planar motions of a particle inclu	oroblem	
0 14 4	(Theom)	Compulsory			
Credit: 4	(Theory)	Time: 3 Hours			
Full Mar Unit		Content		Hours	
I	for equilibrium, asta virtual work for a s different points of a r	Reduction of system of coplanar forces, equation of resultant. Condition for equilibrium, astatic centre. Work and potential energy, Principle of virtual work for a system of coplanar forces acting on a particle or at different points of a rigid body, Forces which can be omitted in forming the			
II	Laws, Angles and constrained	one of friction, equili I to move on a roug	brium on a rough inclined plane, h curve under any given forces.	15 h	
Ш	Kinematics in two velocities and ac	dimensions: tanger cceleration. Angula	ntial, normal, radial, transverse ar Velocity and acceleration. m: S.H.M., compounding of two er inverse square law.	15 h	
IV	Rectilinear Motion principle, impulse,	(Kinetics): Newton	's Law, work, KE, work Energy lar momentum, conservation of entum, Hooke's law. Extension of		
Sessiona	al Internal Assessment A Inter B Over	(SIA) Full Marks 25 rnal written Examina · All Performance inc	5 Marks tion 20 Marks (1 Hr) luding Regularity 05 Marks		
1. 2.	s Recommended: Mechanics: Singh & Statics and Dynamics. Statics. S. Ramsey Ca Dynamics. S. Ramsey	A. R. Vashishtha Kris mbridge University Pr	C55.		

		Year: Third	Semester: V		
rogram:	Bachelor's Degree	real. Innu			
lass: UG					
Subject: N	Mathematics	Course Title The	ory of Equation & Higher Arithm	netic	
	ode: MJ-10	will enable the st	udents to:		
ourse Lean	ode: MJ-10 ming Outcomes: This converse ve polynomial equation	using relation of roots	and coefficients		
a) solv	ve polynomial equation	don's method			
b) sol	ve cubic equation by Car	appropriate and their	ir properties.		
c) un	derstand the concept of	congruences and the			
d) sol	ive simultaneous linear o	ongruences.			
		Compulsory			
	(Theory)	Time: 3 Hours		Hours	
Full Ma	rks: 75	Content	fi siento	Hours	
Unit	Relations of root and their symmetric functions with coefficients.				
I	Transformation of equations, Descared a				
1	Transformers		Descarto's solution of a bi-		
	Cardon's solution o	if a cubic equation	n, Descarte's solution of a bi- ature of roots.	15 h	
II	quadratic equation,	Discriminante ana m			
			e factorization in N & Z the ue class, complete and reduced		
	Divisibility, H.C.F.	Primes & Onique	ue class, complete and reduced	15 h	
	Divisibility, H.C.F. Primes & Unique factorization in the and reduced Diophantine equation ax+by=c. Residue class, complete and reduced residue system, congruences and their properties, Fermat's theorem,				
III	Euler's theorem, and Wilson's theorem.				
			increation Solution of		
	Algebraic congru	ences, Solution	by inspection. Solution of theorem, non-linear algebraic lus.	151	
TAT	$ax \equiv b \pmod{m}$, Ch	ninese remainder	us.	1.0.	
IV	congruency with re	espect to the modul			
	al Internal Assessment	(SIA) Full Marks 2	5 Marks		
Session	al Internal Assessment	rnal written Examina	ation 20 Marks (1 Hr.) cluding Regularity 05 Marks		
	B Over	All Performance inc	cluding Regularity 05 Marks		
Pool	- Decommended:				
	mi faquation'	alji Prasad			
2	Theory of Equation -	- Durnside of ter	1		
3.	Basic Number theory Introduction to Num	ber Theory : Niven	& Zukerman		
4.	Introduction to Harr	and the second			

Course Title: Con	mplex Analysis		
uity & amerentiability	orranoes		
ic function & form and	hytic function.		
formations.			
conformal mapping.			
Compulsory			
Time: 3 Hours		Hours	
Content	the second displacet	Hours	
Real Functions for two variables. Simultaneous and iterated limits; continuity, partial derivatives, differentiability, and related necessary and sufficient conditions.			
lex variables: Limit inalytic function, ha in Thompson Method	1.	15 h	
Geometric Importance of some standard transformations e.g. $w = z + c$ $w = cz \ w = 1/z, \ w = (az + b) / (cz + d) (bilinear).$			
nformal transformat		15 h	
SIA) Full Marks 25	Marks ion 20 Marks (1 Hr.)		
	urse will enable the stuuity & differentiabilityic function & form anaformations.conformal mapping.Time: 3 HoursContenttwo variables. Similarerivatives, differentons.lex variables: Limitanalytic function, han Thompson Methodce of some standar $(z + b) / (cz + d)$ (bilinmation as transformalSIA) Full Marks 25	Compulsory Time: 3 Hours Content wo variables. Simultaneous and iterated limits; erivatives, differentiability, and related necessary ons. lex variables: Limit, continuity, derivative Cauchy analytic function, harmonic function, construction of n Thompson Method. ce of some standard transformations e.g. $w = z + c$	

Program'	Bachelor's Degree	Year: Third	Semester: VI	
Class: U				
	Mathematics			
C	Code: ML-12	Course Title: Dyna	amics & Statics	
Course Lea	rning Outcomes: This cou	urse will enable the stu	udents to:	
a) ap	ply the condition for equi	librium in problems.		
b) co	we problems related to co	ommon catenary.		
c) so	lve problems related to g	ravitation % Newton's	laws of motion.	
d) so	lve problems related to p	rojectile.		
Credit: 4	4 (Theory)	Compulsory		
Full Ma		Time: 3 Hours		Hours
Unit		Content	Wrench nitch	
I	Conditions for equilibrium of forces in three dimensions. Wrench pitch, Null Lines.			
II	(problems involving (one variable only).	m, energy test of stability	15 h
III	Motion of a particle central orbit in both gravitation, planetar	under a central fo polar and pedal y orbits, Kepler's la	rce, Differential equation of a co-ordinates. Newton's law of ws of motion.	15 h
IV	Motion of projectile of the mass centre and principle. Two-dimer axis, compound pen	under gravity in a n d motion relative to nsional motion of a n dulum.	on-resisting medium. Motion of the mass centre D'Alembert's rigid body rotating about a fixed	15 h
	B Over /	SIA) Full Marks 25 al written Examinati All Performance inclu	Marks on 20 Marks (1 Hr.) uding Regularity 05 Marks	
1. 2. 3	Recommended: Dynamics Part I & II A Dynamics by P.P. Gup Statics by Loney Statics by A. R. Vasist	ta, Sanjay Gupta		

Program: Class: UG	Bachelor's Degree	Year: Third	Semester: VI	
	Aathematics		9. Otatiotion	
0 0	Ja. MI 13	Course Title: LPP	& Statistics	
ourse Lear a) solv b) solv c) stu	ning Outcomes: This couve reproblems related to his ve problems related to his dy the nature of curve, f dy correlation and do re	ansportation & assign ansportation & assign it a suitable curve for	iment problems.	
Cradit: 4	(Theory)	Compulsory		
Full Mar		Time: 3 Hours		Hours
Unit		Content	for a station	Tiours
I	Graphical Method. Si	mplex method.		15 h
II	Transportation and	Assignment. Deter s on two machines a	rministic replacement models, and n jobs.	15 h
111	Measures of Skewness and Kurtosis. Curve fitting and method of least			
IV			ctations and variance.	15 h
Sessiona	B Over a	All Performance inch	uding Regularity 05 Marks	
1. l 2. l	Linear Programming P Linear Programming P Operations Research: Mathematical Statistic	S D Sharma		

		Year: Third	Semester: VI	
Program:	Bachelor's Degree	real. I mitu		
Class: UG				
Subject: N	Iathematics	Course Title: Analys	is II & Ring	
Course C	ode: MJ-14	Course Thie. Analys	ents to:	
Course Lear	ming Outcomes: This col	urse will enable the stude		
a) tes	t the convergence of imp	theoroms like Green's	theorem, Stokes theorem.	
b) sol	ve multiple integrals usir	ig theorems like oreen s		
c) une	derstand the concept of	ring and ideals.		
d) exp	plain the concept of field	& homeomorphism.		
Credit: 4	(Theory)	Compulsory		
Full Mar	·ks: 75	Time: 3 Hours		Hours
Unit		Content	Absolute	
I	convergence, Able's	inter-relation.	omparison Tests, Absolute s. Frullani's Integrals, Def.	15 h
II	of order of integratio Integral, Surface In Gauss divergence th	tegral, Green's theor eorem.	Liouville's extension. Change bles. Vector Integration: Line em in R2, Stoke's theorem,	15 h
III	Rings, Preliminary R	esults, Special Kinds,	subrings and Ideals. Quotient	
IV	Fields and Homomo	iclidian ring & onique	ent and embedding theorem, factorization in it.	15 h
	l Internal Assessment (A Intern B Over	SIA) Full Marks 25 M	arks	
1. 2. 3. 4.	Recommended: Mathematical Analysis Mathematical Analysis Integral Calculus: Wil Vector Calculus: Shar Modern Algebra: A. R Modern Algebra: Goy	liamson hti Narayan Vasistha		

Program	Bachelor's Degree	Year: Third	Semester: VI	
Class: U				
Subject:	Mathematics		1 1 1 2 0 Ducanammin	a in C
Course	Tode: MI-15	Course Title: Nun	nerical Analysis & Programmin	gmc
Course Lea	arning Outcomes: This cou	urse will enable the st	udents to:	
a) fir	nd roots of equation and i	nterpolate by numeric	carmethous.	
b) di	fferentiate % integrate by	numerical methods.	computer programming	
c) kr	now about the logics and	algorithms needed for	r computer programming.	
Curdity	4 (Theory)	Compulsory		
Full Ma	4 (Theory)	Time: 3 Hours		
		Content		Hours
Unit I	Polynomials. Interpol differences Schemes,	Interpolation Form	falsi, Newton's method, Root of d Hermite Interpolation, divided hula using Differences.	15 h
П	Quadrature Formula	Simpsons and Trap	ormulas. Numerical Integration ezoidal Rule.	15 h
III	Types. Arithmetic structures. Decisions	statements.	Algorithms. Flow Charts. Data instructions. Decision control	15 h
IV	Logical and Condit Functions, Recursio Structures. Pointers.	ns, Preprocessors.	oop. Case control structures. Arrays, Puppeting of string.	15 h
Session	al Internal Assessment (S A Intern B Over A	- I witten Lyomingfi	Marks ion 20 Marks (1 Hr.) uding Regularity 05 Marks	
1.	Recommended: Programming in ANCI Numerical Analysis: J. Introduction to Numer			

Program: Bachelor's Degree with Honours/Hons. with Research	Year: Fourth	Semester: VII
Class: UG		
Subject: Mathematics Course Code: MJ-16	Course Title: Fl	uid Mechanics & Special Function
Course Learning Outcomes: This course a) understand the nature of fluid,	its pressure and cen	cic of presserver

- b) explain the fluid motion using equation of continuity and continuity and singular points.c) find series solution of differential equations about ordinary and singular points.
- d) understand the properties of Legendre polynomials and properties of Hypergeometric functions.

Credit: 4	4 (Theory)	Compulsory	
Full Ma		Time: 3 Hours	Hours
		Content	Hours
Jnit I	Equilibrium of fluids under	Fluid pressure, pressure of heavy liquids. given system of forces. Centre of pressure.	15 h
п	Thrust on plane and curved surfaces. Lagarangian and Eulerian methods, Equation of continuity. Euler's equation of motion for perfect fluid Bernoulli's Theorem.		
111	Methods and forms of method). [N.B. result of analysis re taken for granted] Bessel's equation: Soluti function for J _n (x), equation	y point, singular point (regular), General series solution (Indicial equation-frobenius egarding validity of series. Solution are to be ion Recurrence formula for J_(x); generating ins reducible to Bessel equation, Orthogonality	
IV	polynomials, generating polynomials. Hypergeon representation, Summati	Solution, Rodrigue's formula, Legendre function for P _* (x), Orthogonality of Legendre metric functions, special cases, Integral ion theorem.	
Session	al Internal Assessment (SIA)	Full Marks 25 Marks ritten Examination 20 Marks (1 Hr.) erformance including Regularity 05 Marks	

Program: Bachelor's Degree with Honours/Hons. with Research Class: UG	Year: Fourth	Semester: VII
Subject: Mathematics		P. Discusto Mathematics
Course Code: MJ-17		etric space & Discrete Mathematics
 Course Learning Outcomes: This course a) Develop the concept of metric b) Learn the idea of completence c) Learn the idea of continuous d) Learn the concept of cardinality e) understand the concept of grap 	c space and related ss of a space with i and uniform contin & mathematical inc	ts properties. nuous functions.
Credit: 4 (Theory)	Compulsory	

Credit:	4 (Theory)	Compulsory	
	arks: 75	Time: 3 Hours	**
		Content	Hours
Init I	alocura	efinition and example of metric spaces, Open sets, Interior closed Sets	
п	Convergence, completene theorem. Continuous maps	vergence, completeness, Bair's theorem, Cantor's Intersection rem. Continuous maps, Uniform Continuity, and related extensions.	
111	Sets and Propositions-Car Inclusion and exclusion. Equivalence Relations and obains and Antichains, Pig	dinality. Mathematical Induction. Principle of Relations and Functions – Binary Relations. partitions. Partial. Order Relations and Lattices, eon Hole Principle.	15 h
IV	Graphs and Planar Grap Graphs. Paths and Circui Travelling Salesman Problement	h, basic terminology. Multigraphs. Weighted ts. Shortest paths. Eulerian Paths and Circuits. lem. Planer Graphs. Boolean Algebras – Lattices Duality. Distributive and complemented Lattices. bras. Boolean Functions and Expression.	15 h
	al Internal Assessment (SIA) A. Internal wr B. Over All Pe		

Discrete Mathematics: C.L. Lieu, Elements of Discret International Ed.
 Topology: K.K. Jha / J.N. Sharma
 Mathematical Analysis: Shanti Narayan / Mallick Arora
 Metric Space by Lalji Prasad

rogram.	Bachelor's Degree with	Year: Fourth	Semester: VII	
Iogram.	Hons. with Research			
Class: UC				
	Mathematics		1 The section and	
a (1. MIT 19	Course Title: In	tegral Transform	
	ming Outcomes. This course	will enable the stude	ents to:	
2) lea	in concept of Laplace and inv	erse Laplace transic	/////:	
b) sol	ve the differential equation u	ising Laplace transfo	irm.	
c) lea	arn the concept and propertie	s of Fourier transfor	m.	
d) lea	arn application of Fourier sine	& cosine transform		
Credit: 4	(Theory)	Compulsory		
Full Mar	rks: 75	Time: 3 Hours		TT
Unit		Content		Hours
I	Laplace transform: Def, transformation of elementary functions, properties, inverse transform, transform derivatives and integrals, multiplication by t^n 15			
II	division by t. Inverse Laplace Transform, Convolution theorem and application to differential equation.			
ш	Infinite Fourier Transform: Infinite Fourier sine transform, Infinite Fourier cosine transform, Relation between Fourier & Laplace transform.			
IV	The Finite Fourier Transform & Integral: Finite Fourier sine transform, Finite Fourier cosine transform, Fourier Integral.15			
Sessiona	Al Internal Assessment (SIA) A. Internal w B. Over All P	Full Marks 25 M ritten Examination erformance includ	arks 1–20 Marks (1 Hr.) ing Regularity –05 Marks	

	the test the second the	Year: Fourth	Semester: VII	
Program:]	Bachelor's Degree with	real. Fourth		
	Hons. with Research			
Class: UG				
Subject: N	Mathematics	Course Title Pe	artial Differentiation	
	ode: MJ-19	ill anable the stud	lents to:	
a) app b) app c) mo	rning Outcomes: This course of oly a range of techniques to so oly Monge's method to solve del physical phenomena usi nations.	ive first & second c		and wave
Credit: 4	(Theory)	Compulsory		
Full Mar		Time: 3 Hours		11
	I	Content		Hours
Unit I	method.	Partial differential equation, formation, linear p.d.e. of order 1-Lagrange's		
II	Non-linear equation of o Method. Homogeneous lin C.F. and P.I.	order 1, four for mear equation with	rms Charpits method, Jacobi n constant co-efficient Rules of	15 h
III		Non-linear equations of second order, Monge's method.		
IV	Boundary Value Problem: Derivation and solution of one-dimensional wave equation and one-dimensional heat equation.			15 h
	B Over All P	Full Marks - 25 N ritten Examinatio Performance incluo	larks n . 20 Marks (1 Hr.) ding Regularity . 05 Marks	
-	Recommended: Advanced Differential Equ Differential equation: J.N.	ation: M.D. Raisi Sharma	ngania	

Program: Honours/ Class: UC	Bachelor's Degree with Hons. with Research	Year: Fourth	Semester: VIII	
Subject: I	Mathematics	Titler I	inear Algebra & Linear Dif	ference
Course C	ode: MJ-20	equation		
a) uno b) uno	rning Outcomes: This course w derstand concept of basis of ve derstand the concept of rank & nstruct difference equations an d solution of linear difference e	nullity.		
Q ditte	(Theory)	Compulsory		
Full Mar	t (Theory)	Time: 3 Hours	3	TTarra
Unit		Content		Hours
I	and basis of a finite dimensional complements matrices I. S., properties of inner orthogonal basis and Gran	and change of bas product, Schwart n-schmidt constr	inear dependence, dimension , Quotient space, Direct sums is. Inner product & norm in a z inequality, orthogonal set, uction for finite dimensional	15 h
II	transformations, Dual spa transformation, similar ma (Algebraic geometric and t	trices, even matri- multiplicity).	of nullity, algebra of linear duality. Matrices and linear ces, diagonalisation Eigen root	15 h
ш	Uniquencess theorem, solu	ution of the form.	ference Equation, Existence & $y_{n+1} = Ay_n + C$	15 h
IV	Linear Difference Equation with constant coefficient: Basic Definition. Combination of solution, Fundamental set of solution, Homogeneous 15			151
Session	al Internal Assessment (SIA) A . Internal w B . Over All P	Full Marks 25 M ritten Examination erformance includ	arks n 20 Marks (1 Hr.) ling Regularity 05 Marks	
Book 1. 2.	s Recommended: Modern Algebra: Surjeet S Linear Difference Equation	Sach & Quazi Za	meeruddin	

	n: Bachelor's Degree with rs/Hons. with Research UG	Year: Fourth	Semester: VIII	
Subject	: Mathematics	1		
Course	Code: AMJ-1	Course Title: To	pology	
Course Le	earning Outcomes: This course wi	ill enable the studer	its to:	
a) le	earn about the concept of compa	ctness in metric spa	ce.	
b) d	efine topological space its bases	and different types	spaces.	
c) le	earn different types of compactne	ess in topological sp	aces.	
te	earn different types separation as opological spaces	kioms in topological	spaces and also the connected	lness of
	4 (Theory)	Compulsory		
Full Ma	arks: 75	Time: 3 Hours		
Jnit	Content		Hours	
Ι	Compactness in metric space, Ascoli's theorem. Topological spaces:		15 h	
п	Definition, examples, base, sub-base, first axiom space, second axiom space, comparison of topologies.			15 h
III	Compactness: Compact space, Lindeloff space, product space, Tychonoff's theorem, locally compactness.			
IV	Separation: T ₁ – space, T ₂ – space, normal & completely regular space, Uryshon's lemma, Tietze extension theorem, Uryshon's metrization theorem. Connectedness: connectedness & its properties.			
Sessional		n Examination . 20		
Books	Recommended: Real Analysis: H. L. Royden, P	M. Fitzpatrick		
1. R	Cal Analysis. II. L. Roydell, F			
	opology: J. N. Sharma, J. P. C	ALC: NOT THE REAL PROPERTY OF		

Hono Class	ram: Bachelor's Degree with ours/Hons. with Research :: UG	Year: Fourth	Semester: VIII	
Subje	ect: Mathematics			
	se Code: AMJ-2	Course Title: Co	mplex Analysis II	
Course	Learning Outcomes: This course wil	enable the studen	ts to:	
a)	apply complex integration in solvin	ig problems.	13 10.	
b)	learn about power series expansion	n and their converg	8 0 00	
c)	apply method of contour integration	on.	ence.	
d)	learn about conformal mapping.			
Credit	t: 4 (Theory)	Compulsory		
	Aarks: 75	Time: 3 Hours		
Unit		Content		Hours
I	Integral: Cauchy's integral the theorem, Liouvillies theorem Rouche's theorem, fundament	n, lavlor's theo	rem [aurent's thoorem]	15 h
II	Power series: formula for radi & uniform convergence theor power series, term by term inte	em of power serie egration and differ	es, uniqueness theorem of entiation theorem.	15 h
III	Residue & poles, contour integ			15 h
IV	Conformal mapping: Conformal condition for conformal mapping from unit circle to unit circle and	g, mapping from h	ping, necessary & sufficient alf plane to circle, mapping	15 h
	al Internal Assessment (SIA) Full (A Internal written B Over All Perform	Examination 201	Marks (1 Hr.) egularity - 05 Marks	
	Recommended:		gaming too marks	
1. (Complex Variable: Churchill			
2.	Theory of Functions: Titch Marsh	1		
3. (Complex Analysis: J. B. Conway			
4. J	Function of a Complex Variable:	Goyal & Gupta		

rogram:	Bachelor's Degree with	Year: Fourth	Semester: VIII		
Honours	Hons. with Research				
Class: U	G				
Subject:	Mathematics	N	Landa & Moosure Theor	v	
Course (Code: AMJ-3	Course l'itle: Rea	al Analysis & Measure Theor	3	
ourse Lea	arning Outcomes: This course	will enable the stude	nts to.		
a) lea	arning Outcomes: This course arn the concept of uniform co	nvergence in sequen			
b) lea	arn about Fourier series and it	s applications.			
c) le	arn the concept of measure th	neory and its properti	les.		
d) kr	now about the measurable fur	nctions & its propertie	es.		
Custite	4 (Theory)	Compulsory			
Full Ma		Time: 3 Hours	1		
	1	Content		Hours	
Jnit	Company and series of fi	unction: Uniform c	onvergence of sequence and		
		relay? a general nrin(
I	i i Citha anno of	a ceries of HINCL	In weicstrass 5 in toot is	15 h	
1	series of real function. Cauchy's general principle of anisotras's M-test for continuity of the sum of a series of function. Weiestrass's M-test for uniform convergence. Term by term integration and differentiation.				
	Fourier series: Fourier	series expansion o	of a function relative to an		
	I I I I	accal c ineduality	of a function relative to an pointwise convergence of	15 6	
п	orthonormal system. B	essel's inequality,	ntegral, Perseval's theorem,	15 h	
п	orthonormal system. Be trigonometric Fourier se Riemann-1 ebesgue theor	eries, Dirichlet's i eries, Problems on f	ntegral, Perseval's theorem,	15 h	
п	orthonormal system. Be trigonometric Fourier se Riemann-Lebesgue theor	eries, Dirichlet's i erion, Problems on f eriodic functions.	ntegral, Perseval's theorem, finding trigonometric Fourier	15 h	
II	orthonormal system. Be trigonometric Fourier se Riemann-Lebesgue theor series representation of p	eries, Dirichlet's i rem, Problems on f eriodic functions.	ntegral, Perseval's theorem, finding trigonometric Fourier		
	orthonormal system. Be trigonometric Fourier se Riemann-Lebesgue theor series representation of p Measure theory: Outer theory	eries, Dirichlet's i rem, Problems on t eriodic functions. measure, measurab	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental		
п	orthonormal system. Be trigonometric Fourier se Riemann-Lebesgue theor series representation of p Measure theory: Outer theory	eries, Dirichlet's i rem, Problems on t eriodic functions. measure, measurab	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental	15 h 15 h	
	orthonormal system. Be trigonometric Fourier se Riemann-Lebesgue theor series representation of p Measure theory: Outer theorems and examples of	ersel's inequality, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab properties of measu of uncountable sets of	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure.	15 h	
	orthonormal system. Be trigonometric Fourier set Riemann-Lebesgue theor series representation of p Measure theory: Outer approach, arithmetical p theorems and examples of Measurable Functions: Close	ersel's inequality, eries, Dirichlet's i rem, Problems on t eriodic functions. measure, measurab properties of measu of uncountable sets of sure of class of measu	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure.	15 h	
III	orthonormal system. Be trigonometric Fourier set Riemann-Lebesgue theor series representation of p Measure theory: Outer n approach, arithmetical p theorems and examples of Measurable Functions: Close and limit operations, Littl	ersel's inequality, eries, Dirichlet's i rem, Problems on t eriodic functions. measure, measurab oroperties of measu of uncountable sets of sure of class of measu ewood's third princi	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. Irrable function under all algebraic ple trigonometric Fourier series n bounded over a set of finite	15 h	
	orthonormal system. Be trigonometric Fourier set Riemann-Lebesgue theor series representation of pe Measure theory: Outer theorems and examples of theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi	essel's mequanty, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab oroperties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In able function under all algebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical	15 h	
III	orthonormal system. Be trigonometric Fourier set Riemann-Lebesgue theor series representation of pe Measure theory: Outer theorems and examples of theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi	essel's mequanty, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab oroperties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In able function under all algebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical	15 h	
III IV	orthonormal system. Be trigonometric Fourier set Riemann-Lebesgue theor series representation of pe Measure theory: Outer theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi measure, condition of me properties, comparison with	essel's inequality, eries, Dirichlet's i rem, Problems on t eriodic functions. measure, measurab or operties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio easurability, Lebesgy th R-integral, bounde D Full Marks 25 Ma	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In able function under all algebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical ed convergence theorem.	15 h	
III IV	orthonormal system. Be trigonometric Fourier series representation of pro- Measure theory: Outer theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi measure, condition of me properties, comparison with al Internal Assessment (SIA	essel's mequality, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab properties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio easurability, Lebesg th R-integral, bounde) Full Marks 25 Ma	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. urable function under all algebraic ple trigonometric Fourier series n bounded over a set of finite ue integral and its arithmetical ed convergence theorem. arks 20 Marks (1 Hr.)	15 h	
III IV	orthonormal system. Be trigonometric Fourier series representation of pro- Measure theory: Outer theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi measure, condition of me properties, comparison with al Internal Assessment (SIA	essel's mequality, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab properties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio easurability, Lebesg th R-integral, bounde) Full Marks 25 Ma	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In able function under all algebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical ed convergence theorem.	15 h	
III IV Session	orthonormal system. Be trigonometric Fourier set Riemann-Lebesgue theor series representation of p Measure theory: Outer n approach, arithmetical p theorems and examples of Measurable Functions: Clos and limit operations, Littl representation of periodi measure, condition of m properties, comparison wi tal Internal Assessment (SIA A Internal v B Over All Internal v	essel's mequanty, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab oroperties of measurab of uncountable sets of sure of class of measurab ewood's third princi c functions. Function easurability, Lebesg th R-integral, bounde) Full Marks 25 Ma vritten Examination Performance includi	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In bounded over a la lagebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical ed convergence theorem. arks 20 Marks (1 Hr.) ing Regularity . 05 Marks	15 h	
III IV Session Book	orthonormal system. Be trigonometric Fourier series representation of pro- Measure theory: Outer theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi measure, condition of measure, comparison with the Internal Assessment (SIA A Internal v B Over All Internal v Principle of Mathematical	essel's mequality, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab properties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio easurability, Lebesg th R-integral, bounded) Full Marks 25 Ma vritten Examination Performance includi Analysis: Walter R	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In bounded over a la lagebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical ed convergence theorem. arks 20 Marks (1 Hr.) ing Regularity . 05 Marks	15 h	
III IV Session Book 1. 2	orthonormal system. Be trigonometric Fourier se Riemann-Lebesgue theor series representation of p Measure theory: Outer r approach, arithmetical p theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi measure, condition of m properties, comparison wi B Over All I s Recommended: Principle of Mathematical Mathematical Analysis: SI	essel's mequality, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab oroperties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio easurability, Lebesg th R-integral, bounde) Full Marks 25 Ma vritten Examination Performance includi Analysis: Walter R nanti Narayan	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In bounded over a la lagebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical ed convergence theorem. arks 20 Marks (1 Hr.) ing Regularity . 05 Marks	15 h	
III IV Session Book 1. 2. 3	orthonormal system. Be trigonometric Fourier series Riemann-Lebesgue theor series representation of pr Measure theory: Outer theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi measure, condition of me properties, comparison with al Internal Assessment (SIA A Internal v B Over All Internal v B Over All Internal v B Cover All International Mathematical Analysis: SI Real Analysis: H. L. Royd	essel's mequality, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab oroperties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio easurability, Lebesg th R-integral, bounde) Full Marks 25 Ma vritten Examination Performance includi Analysis: Walter R hanti Narayan len	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In bounded over a la lagebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical ed convergence theorem. arks 20 Marks (1 Hr.) ing Regularity . 05 Marks	15 h	
III IV Session Book 1. 2. 3. 4.	orthonormal system. Be trigonometric Fourier se Riemann-Lebesgue theor series representation of p Measure theory: Outer r approach, arithmetical p theorems and examples of Measurable Functions: Close and limit operations, Littl representation of periodi measure, condition of m properties, comparison wi B Over All I s Recommended: Principle of Mathematical Mathematical Analysis: SI	essel's mequanty, eries, Dirichlet's i rem, Problems on f eriodic functions. measure, measurab oroperties of measu of uncountable sets of sure of class of measu ewood's third princi c functions. Functio easurability, Lebesg th R-integral, bounde) Full Marks 25 Ma vritten Examination Performance includi Analysis: Walter R nanti Narayan en K. K. Jha	ntegral, Perseval's theorem, finding trigonometric Fourier le sets through Caratheodory urable sets, two fundamental of zero measure. In bounded over a la lagebraic ple trigonometric Fourier series in bounded over a set of finite ue integral and its arithmetical ed convergence theorem. arks 20 Marks (1 Hr.) ing Regularity . 05 Marks	15 h	

Semester	Paper	Code	Course Title	Credit
I	Minor-1A	MN-1A	Calculus	4
11	Minor-2A	MN-2A	Discrete Mathematics	4
ш	Minor-1B	MN-1B	Real Analysis	4
IV	Minor-2B	MN-2B	Discrete Mathematics-II	4
V	Minor-1C	MN-1C	Vectors	4
VI	Minor-2C	MN-2C	Probability Theory	4
VII	Minor-1D	MN-1D	Real Analysis-II	4
VIII	Minor-2D	MN-2D	Operations Research	4

Minor Syllabus

		Year: First	Semester: I			
Program: C	ertificate	real. First				
Class: UG	lathematics	• • • •				
C Ca	do: MIN 1A	Course Title: Calculu	IS			
			ill onable the students to:	to colve		
a) Un	derstand the	concept of functions,	limits, and continuity, and apply them	to solve		
ma	thematical pro	oblems.	i used moon value theorem, to diff	erentiate		
b) Us	e differentiatio	on rules, including the cr	nain rule and mean value theorem, to diff ive differentiation and Leibnitz's theorem	to solve		
	Iculus problem		omputing definite integrals using Riemann	sums and		
c) De	velop skills ill	I theorem of calculus, an	d using various integration techniques to s	olve real-		
	· · ··································	in integrating various t	ypes of functions, analyzing curves, and c	alculating		
ar	ea and volume	e of surfaces of revolution	n using integration techniques.			
	(Theory)	Compulsory				
Full Mar	ks: 75	Time: 3 Hours	ontent	Hours		
Unit			of functions and their properties,	12 h		
I	Functions a	and Limits: Definition	erties, Continuity of functions.	12 h		
	Limits of fur	Ictions and their prope	bility of a real valued function,			
	Differentia	I calculus: Differentiat	erentiability, Rules of differentiation,			
п	Geometrica	I interpretation of unit	a value theorem and its applications.	18 h		
11	II Chain rule of differentiation, Mean value theorem and its applications,					
	Successive	differentiation, Leibnit	z's theorem.			
	Integration	n: Antiderivatives, Inde	efinite and definite integrals, Riemann	12 h		
III	cume and	the definite integral,	, Fundamental theorem of calculas,			
	Properties	of definite integrals, In	tegration rectiniques.			
	Integral (Calculus: Integration	of rational and irrational functions,	101		
IV	Reduction	formula, Computing of	definite integral, Curve tracing, Length nd triple integrals, Area and Volume of	18 h		
1 4	of curve, C	computing of double al	na triple integrais, Area and Tan			
	surface of	revolution.	ient (SIA) Full Marks – 25 Marks			
		Internal written E	x_{a} mination - 20 Marks (1 m)			
	F	3 – Over All Performa	ance including Regularity – 05 Marks			
Books	Desemand	lad:				
	1: /201	10) Calculus 1st Edition	n, Pragati Prakashan, Meerut, India.	1. P.		
2 404	ard Anton 1	Bivens & Stephan Davi	is (2016). Calculus (10th edition). Whey	India.		
	1 1 1/1	~ (1006) Achects of (2	alculus, Springer-veriag.			
	1 1/2011/001	wicz & Bindhyachal Kal	(2003). Calculus with Maple Labor Har	sa.		
CT NORT CRAMMANN		OIC) Differential (alc)	inic right phillon. Fullishard for each			
6 Geo	orge B. Thom	nas Jr., Joel Hass, Chri	stopher Heil & Maurice D. Weir (201)	3). Inomas		
Calcul	us (14th editi	ion). Pearson Education	n.			

Class: U		Year: First	Semester: II	
Subject:	Mathematics			
Course (Code: MN-2A	Course Title: Discret	e Mathematics	
a)	Understand the c	outcomes: This course wi oncept equivalence relatio concept of bounds in POSE thematical logic and logic	If enable the students to: on & partial order relation. If and able to understand the concept of Latt cal operations to various fields.	ice.
Credit:	4 (Theory)	Compulsory		
Full Ma		Time: 3 Hours		Hours
Unit		Con	tent	nours
I	Partition, Equi	ivalence relation, Con amental theorem.	ntisymmetric & transitive relation, gruence Modulo Relation, Induced	15 h
п	Partial Order maximal & m	Relation: Partial Orc inimal element. Defini	ler Set, <i>l.u.b.</i> & <i>g.l.b, inf., sup.,</i> ition & examples of Lattice, Zorn's	15 h
ш	disjunction. I positive and in	Implications, biconditi nverse propositions, an	ruth table, negation, conjunction and onal propositions, converse, contra d precedence of logical operators.	15 h
IV	Propositiona quantifiers: In Validity of ar	l equivalence: Logi ntroduction, Quantifier gument by different mo	cal equivalences. Predicates and s, Binding variables and Negations. ethods.	15 h
Session	al Internal Asses	ssment (SIA) Full Mark	as 25 Marks mination 20 Marks (1 Hr) e including Regularity 05 Marks	
1. Se 2. R. I	crete Mathema	K. Jha, ete Mathematics and Cor atics by M. K. Gupta; K	nbinatorial Mathematics, Pearson Educat rishna Prakashan. on & Patil; Schaum's Outlines	ion,

Spram: Diploma Year: Second bject: Mathematics		and the second		Semester: III	
ass: UG bject: Mathematics bytest: Mathematics Course Title: Real Analysis course Learning Outcomes: This course will enable the students to: a) Understand many properties of the real line R and learn to define sequence in terms of functions from R to a subset of %. b) Recognize bounded, convergent, divergent, Cauchy and monotonic sequences and to calculat their limit superior, limit inferior, and the limit of a bounded sequence. c) Apply the ratio, root, alternating series and limit comparison tests for convergence a absolute convergence of an infinite series of real numbers. d) Learn some of the properties of Riemann integrable functions, and the applications of fundamental theorems of integration. Credit: 4 (Theory) Compulsory Full Marks: 75 Time: 3 Hours Hull Marks: 75 Time: 3 Hours Archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R. Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit theorem, Subsequences, Bolzano sequences, Limit superior and limit inferior of a sequence of real numbers. Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence criterion. Completeness property of set of real number. Infinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence; Cauchy's condensatin Test, De Morgan & Bertrand's test.	oram: Dir	ploma	Year: Second	Semesteri	
 Initial Real Number System Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum, Axioms in R, Absolute value of R. Initial Real Numbers:	ass: UG				
Code: MN-1B Course Triberouse will enable the students to: Course Learning Outcomes: This course will enable the students to: a) Understand many properties of the real line R and learn to define sequence in terms of functions from R to a subset of R. b) Recognize bounded, convergent, divergent, Cauchy and monotonic sequences and to calcule their limit superior, limit inferior, and the limit of a bounded sequence. c) Apply the ratio, root, alternating series and limit comparison tests for convergence a absolute convergence of an infinite series of real numbers. d) Learn some of the properties of Riemann integrable functions, and the applications of fundamental theorems of integration. Compulsory Full Marks: 75 Time: 3 Hours Mounds of a sets, Supremum Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum Axioms in R, Absolute value of a sequence, Bounded sequence, Limit and infimum of a nonempty subset of R. The completeness property of R. Archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R 15 Sequences of Real Numbers: Convergent sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit is uperior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence riterion. Completeness property of set of real number	biect: Ma	thematics	Deal Analysis		
Course Learning Outcomes: The toolse the real line R and learn to define sequence in terms functions from R to a subset of R. a) Understand many properties of the real line R and learn to define sequences and to calculat their limit superior, limit inferior, and the limit of a bounded sequence. c) Apply the ratio, root, alternating series and limit comparison tests for convergence a absolute convergence of an infinite series of real numbers. d) Learn some of the properties of Riemann integrable functions, and the applications of fundamental theorems of integration. Credit: 4 (Theory) Compulsory Full Marks: 75 Time: 3 Hours Vinit Real Number System Axioms in R, Absolute value of a real number: Bounds of a sets, Supremum Axioms in R, Absolute value of a real number: Bounds of a sets, Supremum Axioms in R, Open, closed and perfect sets in R 15 a opint in R, Open, closed and perfect sets in R Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy is first theorem on limit, Cauchy's convergence criterion. Completeness property of set of real number. 15 III Infinite Series Convergence of positive term series; Basic comparison test, D'Alembert's ratio test, Raabe's test, Logarithmic test, Cauchy's condensation Test, De Morgan & Bertrand's test. 15 III Alternating series: Alternating series, Leibniz test, Absolute and conditional conve	0 1	A MANIK	Course Title: Real Allarysis	the students to:	
 a) Understand many properties of R. b) Recognize bounded, convergent, divergent, Cauchy and monotonic sequences and to calculat their limit superior, limit inferior, and the limit of a bounded sequence. c) Apply the ratio, root, alternating series and limit comparison tests for convergence a absolute convergence of an infinite series of real numbers. d) Learn some of the properties of Riemann integrable functions, and the applications of fundamental theorems of integration. Credit: 4 (Theory) Compulsory Full Marks: 75 Time: 3 Hours Full Marks: 75 Time: 3 Hours Hou finitim of a nonempty subset of R., The completeness property of R., and infimum of a nonempty subset of R., The completeness property of R., archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R. Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers. Cauchy is first theorem on limit, Cauchy's convergence criterion. Completeness property of set of real number. Infinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence; Cauchy is condensation Test, De Morgan & Bertrand's test. Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series. 	Course I	Learning (Outcomes: This course will enable	and learn to define sequence in t	erms of
 functions from R to a subset of A. b) Recognize bounded, convergent, divergent, Cauchy and monotonic sequences and to calculate their limit superior, limit inferior, and the limit of a bounded sequence. c) Apply the ratio, root, alternating series and limit comparison tests for convergence a absolute convergence of an infinite series of real numbers. d) Learn some of the properties of Riemann integrable functions, and the applications of fundamental theorems of integration. Credit: 4 (Theory) Compulsory Full Marks: 75 Time: 3 Hours Unit Real Number System Axioms in R. Absolute value of a real number; Bounds of a sets, Supremum Axioms in R. Absolute value of R. The completeness property of R., and infimum of a nonempty subset of R. The completeness property of R., and infimum of a nonempty subset of R. The completeness property of R. I and infimum of a nonempty subset of R. The completeness property of R., archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence eriterion. Completeness property of set of real number. Infinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence; Necessary condition for convergence, Cauchy criterion for convergence, Necessary cond	N T L	Janatand m2			1 Jato
 c) Apply the ratio, root, alternating series and limit comparison tests for convergence a absolute convergence of an infinite series of real numbers. d) Learn some of the properties of Riemann integrable functions, and the applications of fundamental theorems of integration. Credit: 4 (Theory) Compulsory Full Marks: 75 Time: 3 Hours Full Marks: 75 Time: 3 Hours I Real Number System Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum Archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence criterion. Completeness property of set of real number. II Infinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence; Cauchy's condensation Test, De Morgan & Bertrand's test. IV Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series. 	fu	inctions from	n R to a subset of R.	wand monotonic sequences and to c	calculate
 c) Apply the ratio, root, alternating series and limit comparison tests for convergence a absolute convergence of an infinite series of real numbers. d) Learn some of the properties of Riemann integrable functions, and the applications of fundamental theorems of integration. Credit: 4 (Theory) Compulsory Full Marks: 75 Time: 3 Hours Full Marks: 75 Time: 3 Hours I Real Number System Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum Archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence criterion. Completeness property of set of real number. II Infinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence; Necessary condition for convergence, Cauchy criterion for convergence; Cauchy's condensation Test, De Morgan & Bertrand's test. IV Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series. 	b) Re	cognize bou	inded, convergent, divergent	f a bounded sequence.	
absolute convergence of all series of Riemann integrable functions, and the applications of fundamental theorems of integration.Credit: 4 (Theory)CompulsoryFull Marks: 75Time: 3 HoursUnitContentReal Number System Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum and infimum of a nonempty subset of R, The completeness property of R, Archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R15Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, 	th	ieir limit sup	jerior, mine inte	mit comparison tests for converge	ence and
absolute convergence of all series of Riemann integrable functions, and the applications of fundamental theorems of integration.Credit: 4 (Theory)CompulsoryFull Marks: 75Time: 3 HoursUnitContentReal Number System Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum and infimum of a nonempty subset of R, The completeness property of R, Archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R15Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence eriterion. Completeness property of set of real number.15IIIInfinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy is ratio test, Raabe's test, Logarithmic test, Cauchy's condensation Test, De Morgan & Bertrand's test.27IVAlternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series.28	c) Ar	pply the rat	tio, root, alternating series and in	I numbers.	
fundamental theorems of integrationCredit: 4 (Theory)CompulsoryFull Marks: 75Time: 3 HoursUnitContentInitReal Number System Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum And infimum of a nonempty subset of R, The completeness property of R, and infimum of a nonempty subset of R. The completeness property of R, and infimum of a nonempty. Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R15Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence eriterion. Completeness property of set of real number.15IIIInfinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence: Necessary condition for convergence, Cauchy criterion for convergence: Cauchy's condensation Test, De Morgan & Bertrand's test.2IVAlternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series.3	a	bsolute conv	vergence of an infinite series of rea	the application	ns of the
fundamental theorems of integrationCredit: 4 (Theory)CompulsoryFull Marks: 75Time: 3 HoursUnitContentInitReal Number System Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum And infimum of a nonempty subset of R, The completeness property of R, and infimum of a nonempty subset of R. The completeness property of R, and infimum of a nonempty. Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R15Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence eriterion. Completeness property of set of real number.15IIIInfinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence: Necessary condition for convergence, Cauchy criterion for convergence: Cauchy's condensation Test, De Morgan & Bertrand's test.2IVAlternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series.3	IN L	oorn some (of the properties of Riemann integ	grable functions, and the appreciate	
Credit: 4 (Theory) Compulsory Full Marks: 75 Time: 3 Hours Hou Unit Content Hou I Real Number System Axioms in R, Absolute value of a real number; Bounds of a sets, Supremum and infimum of a nonempty subset of R, The completeness property of R, and infimum of a nonempty subset of R. The completeness property of R, Archimedean property, Definition and types of intervals, Neighborhood of a point in R, Open, closed and perfect sets in R 15 Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy is equence, Cauchy's first theorem on limit, Cauchy's convergence criterion. Completeness property of set of real number. 15 II Infinite Series Convergence of positive term series; Basic comparison test, Limit comparison test, D'Alembert's ratio test, Raabe's test, Logarithmic test, Cauchy's convergence of positive term series; Basic comparison test, Limit comparison test, D'Alembert's ratio test, Raabe's test, Logarithmic test, Cauchy's condensation Test, De Morgan & Bertrand's test. 2 IV Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series. 2	a) Le	fundamental	theorems of integration.		
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 Archimedean property, Definition and yrights in R a point in R, Open, closed and perfect sets in R Sequences of Real Numbers: Convergent sequence, Limit of a sequence, Bounded sequence, Limit theorems, Monotone sequences, Weierstrass' theorem for-sequences, Monotone convergence theorem, Subsequences, Bolzano sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence criterion. Completeness property of set of real number. Infinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence; Necessary condition for convergence, Cauchy criterion for convergence; Cauchy's condensation Test, De Morgan & Bertrand's test. Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series. 	F	Axioms in F	\mathbb{R} , Absolute value of a real film.	he completeness property of K,	15 h
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 II theorems, Monotone sequences, inclusion dependences, Bolzano sequences. II Monotone convergence theorem, Subsequences, Bolzano sequences, Limit superior and limit inferior of a sequence of real numbers, Cauchy sequence, Cauchy's first theorem on limit, Cauchy's convergence criterion. Completeness property of set of real number. Infinite Series Convergence and divergence of infinite series of positive real numbers, Necessary condition for convergence, Cauchy criterion for convergence; Necessary condition for convergence, Cauchy criterion for convergence; Cauchy's convergence of positive term series; Basic comparison test, Limit comparison test, D'Alembert's ratio test, Raabe's test, Logarithmic test, Cauchy's condensation Test, De Morgan & Bertrand's test. IV Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series. 		Sequences	of Real Numbers.	ice, Bounded sequence, Limit	
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comparison test, D'Alembert's futte cons, Cauchy's condensation Test, De Morgan & Bertrand's test. Cauchy's condensation Test, De Morgan & Bertrand's test. IV Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series. IV	ш	Tests for convergence of positive term set. Raabe's test, Logarithmic test			
Cauchy's condensation Test, De Morgan de Cauchy's condensation Test, De Morgan de IV Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series. IV					
IV Alternating series: Alternating series, Leibniz test, Absolute and conditional convergence. Properties of absolutely convergent series.		Cauchy's	e condensation Test, De morgan		
conditional convergence. Flopences of Marks			i corio	e Leibniz test. Absolute and	1 10
conditional convergence (SLA) Full Marks 25 Marks	IV	1.1.1.01	nal convergence. Floperties of a		
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Sessional Internal Assessment (SIA) Full Marks 23 Marks A Internal written Examination 20 Marks (1 Hr) A Internal Written Examination 20 Marks (1 Hr)	Session	al Internal	A Internal written Examina	ation 20 Marks (1 Hr)	
A Internal written Examination 20 Marks (1 117) B Over All Performance including Regularity 05 Marks			B Over All Performance in	cluding regularity	
Books Recommended:	Book	s Recomm	ended:		
1. Real Analysis: Dasgupta & Prasau	1.	Real Ana	ilysis: Dasgupta & Prasau		
2. Real Analysis: Lalji Prasad	2.	. Real Ana	alysis: Lalji Prasad		
2 Real Analysis: K.K. Jha	2	Real Ana	alvsis: K.K. Jha		
 Principle of Real Analysis: S. C. Malik 		D in sinta	of Real Analysis: S. C. Malik		

Program: Class: U	Diploma	Year: Second	Semester: IV	
	Mathematics			
C C	ada: MN 2R	Course Title: Discr	rete Mathematics-II	
Cours a) Un b) Ap	se Learning derstand and exply the basic co alyze the basic co	xplain the basic concepts of mathematica concepts of mathematica	se will enable the students to: ots of graph theory. al logic. cical logic. concepts of graph theory.	
Credit: 4	(Theory)	Compulsor		
Full Mar	rks: 75	Time: 3 Hou		Hours
Unit		<u> </u>	Content	Hours
I	Logic: Boolean alge	ebra, Boolean express	sion, application to switching circuits.	15
II	Isomorphism, Graph, Shor	blogy, Walks, paths, cir	cuits, connectedness, Handshaking Lemma, lity, Union and Interaction of Graphs. Euler Iamiltonian graph, Traveling Salesman	15
ш	troos Funda	mental circuits, spar	es, path length in rooted trees, spanning ming trees of a weighted graph, cut sets t set, Minimum spanning tree.	15
IV	Directed gra	Graph: phs and connected net Planar graphs (ess, directed trees, Matrix representation Combinational and Geometric Duals, of planarity, 5 colour problem.	15
Sessiona	al Internal Ass	essment (SIA) Full M A Internal written F B Over All Perform	larks 25 Marks Examination 20 Marks (1 Hr) ance including Regularity 05 Marks	
1	Recommend C.L. Liu, Eleme N. Deo, Graph	ed: ents of Discrete Mather Theory with Applicatio	matics, Tata McGraw Hill, 2nd Edition, 2000. ons to Engineering and Computer Science, PHI	publicati
	Edition 2010	nivraj Pundir and Sande	eep Kumar, Discrete Mathematics, Pragati Pub Nathematical Structure, PHI Publication, 6th Ec	

Program:	Bachelor's Degree	Year: Third	Semester: V	
Class: U	G			
	Mathematics			
	L. J. MNIC	Course Title: Veo	tors	
Cours a) Un b) Un fur	se Learning Outcome inderstand the concepts of se inderstand the concept of ven inctions, Grad, Curl and D	ector function of scalar	the students to. the students to. variable t, Scalar point functions, ve e and triple integral formulations heorems in other branches of mather	
	4 (Theory)	Compulsory		
Full Ma		Time: 3 Hours		
		Content		Hours
Jnit I	system of vectors, Lar	ni's theorem, $\lambda - \mu$	ct of 3 & 4 vectors, Reciprocal theorem, work done, Moment of	15 h
II	derivative and geometry three vectors	etrical meaning, De	on of scalar variable t, it's rivative of product of two and	15 h
ш	Grad, Divergence & Curl: Scalar point function and vector point function, grad, divergence and curl, their expansion formulae and properties.			
IV	Green's, Stoke's of Applications of line line integrals, Conse integral, Surface in theorem	ntegrals: Mass and rvative vector fields, tegrals, Stokes' the	ence theorem: Line integrals, Work, Fundamental theorem for Green's theorem, Area as a line eorem, The Gauss divergence	15 h
Session	al Internal Assessment	SIA) Full Marks 25 1al written Examina All Performance inc	5 Marks tion - 20 Marks (1 Hr) luding Regularity - 05 Marks	
1.	s Recommended: Advanced Engineering N Vector Analysis: Lalji	lathematics (10th edit Prasad, Paramount	ion). Erwin Kreyszig, Wiley	

Program:	Bachelor's Degree	Year: Third	Semester: VI	
Class: U	G			
Subject: I	Mathematics	The most p	Lability Theory	
Course C	ode: MN-2C	Course Title: Pro	bability Theory	
 a) Use correction b) Correction c) Server bin d) W 	npute probability and o mpute conditional prob dependence of events. t up and work with disc	ques (multiplication dds. abilities directly and rete random variable Poisson distributions adom variables. In pa	using Bayes' theorem, and check es. In particular, understand the Be	c for ernoulli
Credit: 4	4 (Theory)	Compulsory		
Full Ma		Time: 3 Hours		Hours
Unit		Content	Probability of an	IIouro
I	event, mutually ex probability, independe Baye's theorem,	clusive events, ac ent events, multiplica	bra of events, Probability of an ddition theorem, Conditional ation theorem, Total probability,	15
п	Random Variables and Functions of Discrete Variables, Mathemati	Variables, Distribut	ions, Introduction, Distribution ion Functions of Continuous	15
III	Binomial Distribution, Poisson's Distribution, Hypergeometric distribution, Normal & Negative binomial distribution, 15			15
IV	Measures of locatio Curve fitting, associa	n and dispersion, mation of attributes. Si	grammatic representation of data. noments, skewness and kurtosis. mple correlation and regression,	15
Sessiona	al Internal Assessment (A Intern B Over	SIA) Full Marks 25 al written Examina All Performance incl	Marks tion - 20 Marks (1 Hr) luding Regularity - 05 Marks	
1	Recommended:	matical Statistics: (

Program	: Bachelor's Degree with	Year: Fourth	Semester: VII	
Honour	s/Hons. with Research			
Class: U				
	Mathematics			
Course	Code: MN-1D	Course Title: Re	al Analysis-II	
ourse Le	earning Outcomes: This course	will enable the stud	ents to:	
a) U	nderstand the concept of limit	& continuity of a fur	iction.	
b) U	nderstand the concept of diffe	rentiation and expar	sion of function with remainder.	
c) U	nderstand the definition and co	ondition for Riemann	n Integrability.	
d) U	nderstand the generalized set	operations and relat	ion on sets.	
Credit:	4 (Theory)	Compulsory		
Full Ma	arks: 75	Time: 3 Hours		Hours
Unit		Content		Hours
I	continuity, properties of fun	nctions continuous	, Discontinuities, uniform in closed intervals, Functions	20 h
п	theorem, remainder after $(1 + x)^n$, sinx, cosx and tarms	er n terms, Por $log(1+x)$ using	ylor's theorem, Maclaurin's wer series expansion of suitable remainder after n	20 h
ш	Riemann Integration Defi	ses of bounded in	theorem 1 & 11. Integrability ntegrable function primitive, value theorem.	20 h
Session	al Internal Assessment (SIA) A Internal w B Over All Pe	sitton kyamination	nrks - 20 Marks (1 Hr) ng Regularity - 05 Marks	
Books	Recommended:			
	1. Real Analysis by Lalji			
	 Real Analysis by K. K. Principle of Real Analy 			

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Program	m: Bachelor's Degree with	Year: Fourth	Semester: VIII	
Honou Class:	rs/Hons. with Research UG			
Subject	t: Mathematics			
Course	Code: MN-2D	Course Title: Op	erations Research	
ourse L	earning Outcomes: This course			
a) s	olve problems related to linear	programming proble	ms.	
b) s	olve problems related to transp	ortation & assignme	nt problems.	
c) S	olve real life problems using rep	lacement model and	d sequencing.	
Credit:	4 (Theory)	Compulsory		
Full M	arks: 75	Time: 3 Hours		
Jnit		Content		Hours
I	Convex sets in R2 and th Graphical Method. Simple>		P.P., problem formulation, Big M-method,	15
п	Duality: Definition of the dual Method.	problem, Primal-du	al relationships, Dual simplex	15
III	Transportation and Assign	ment problems		15
IV	Deterministic replacemer machines and n jobs.	it models, seque	encing problems on two	15
Sessiona		tten Examination .		
1. 1 2. 1 3. 0	Recommended: Linear Programming Problem Linear Programming Problem Operations Research: Kanti S Operations Research: S. D. Sh	: Lalji Prasad waroop		

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lov a Mr. Mahendra Kumar Rana

Dr. Bijay Kumar Sinha

Dr. Md. Moiz Ashraf

Dr. P. C. Banenjee

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